

A Doxastic Approach to P2P Information Integration

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Outline

- 1 Motivation
- 2 Epistemic Approaches to P2P Integration
 - Epistemic Approaches to P2P Integration
- 3 A Doxastic Approach
 - A Doxastic Approach
 - Knowledge Construction

Motivation

- The European project Workpad researches a peer-to-peer data integration system to support crisis management
- Integration takes place at response time, so no much time is allotted to verify / review information sources
- The system should allow peers to take majorities / preferences into account
- Need to modify/extend current approaches

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Epistemic Approaches to P2P Integration

- Query Answering in data integration systems based on FOL semantics leads to undecidability [CalvaneseEtAl,2004]
 - Query answering is undecidable in presence of cycles in network topology

Need of resorting on epistemic logics

- Using Epistemic Logics
 - Peers as information agents reasoning about knowledge of facts with respect to the possible accessible worlds.
 - Knowledge of a peer as truth in every possible world it can access.

Knowledge Transfer

- Peer to peer integration involves transfer of knowledge from the network to the peer where queries are issued.
- P2P Mappings semantics

- using S5 axiomatization [CalvaneseEtAl,2004]

$$\forall \bar{x} (\mathcal{K}(\exists \bar{y} (cq_j(\bar{x}, \bar{y}))) \rightarrow \mathcal{K}(\exists \bar{z} (cq_j(\bar{x}, \bar{z})))) \quad (1)$$

- using $K45_n$ axiomatization [CalvaneseEtAl,2005]

$$\forall \bar{x} (\mathcal{K}_j(\exists \bar{y} (cq_j(\bar{x}, \bar{y}))) \rightarrow \mathcal{K}_i(\exists \bar{z} (cq_j(\bar{x}, \bar{z})))) \quad (2)$$

implies direct knowledge transfer among peers
 (other peers' beliefs are directly transferred to the mapped peer)

- The answer to a query $q(x)$ is the set of **Certain epistemic answers** provided by the inquired peer

$$ANSW(q, i) = \{\bar{t} \mid \mathcal{I}_K(\mathcal{P}) \models_{K45_n} \mathcal{K}_i q(\bar{t})\} \quad (3)$$

Knowledge Routing

- Knowledge of a peer p_i is related to the knowledge of peer p_j without altering the epistemic state. [Majkic,2006]
- P2P Mappings have the following semantic

$$\forall \bar{x} (\mathcal{K}_i(\exists \bar{y} (cq_j(\bar{x}, \bar{y}))) \approx_{in} \mathcal{K}_i(\exists \bar{z} (cq_j(\bar{x}, \bar{z})))) \quad (4)$$

(intensional equivalence)

- The answer to a query $q(x)$ over a peer p_i is the union of the answers to the set of all queries intensionally equivalent to $q(x)$
- An epistemological distinction is made between certain answers of the inquired peer p_i and possible answers coming from the other peers.
- The peer doesn't keep control over returned information (e.g. filtering unreliable sources in presence of inconsistency)
- Effective information integration steps cannot be modeled within this framework

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A Doxastic Approach

- A new Doxastic approach to:
 - Model P2P integration in a descriptive way so to capture essential features of p2p internetworking as it is in real systems
 - Overcome some difficulties of merging different knowledge bases, typical of epistemic systems, without limiting the role that each peer can play as integration system
- Distinction between knowledge of facts and doxastic knowledge
For each peer:
 - Knowledge of facts: local knowledge coming from environments under peer's control (e.g. databases)
 - Doxastic Knowledge: knowledge of information coming from other peers
- A variety of merging strategies can be implemented to construct local knowledge.

A Doxastic Approach

- Resort on $KD45_n$ multi-modal epistemic logic, in particular doesn't hold the axiom:

$$A3': \mathcal{K}_i\phi \rightarrow \phi \quad (5)$$

- as a consequence there is **not** knowledge transfer:

$$\mathcal{K}_i\mathcal{K}_j\phi \rightarrow \mathcal{K}_i\phi \quad (6)$$

- Doxastic P2P Mappings follow the semantics:

$$\forall \bar{x} (\mathcal{K}_j(\exists \bar{y} (cq_j(\bar{x}, \bar{y}))) \rightarrow \mathcal{K}_i\mathcal{K}_j(\exists \bar{z} (cq_j(\bar{x}, \bar{z})))) \quad (7)$$

- Doxastic mapping assertions allow to acquire indirect knowledge
- Query answering (same certain epistemic answers of knowledge transfer approach)

$$ANSW(q, i) = \{\bar{t} \mid \mathcal{I}_K(\mathcal{P}) \models_{KD45_n} \mathcal{K}_i q(\bar{t})\} \quad (8)$$

- Semantic isolation: the answer to a query gives same results returned by the inquired peer considered as a standalone system without resorting on p2p mappings
- To avoid isolation Peers have to integrate indirect knowledge into their own knowledge

Knowledge Construction

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Knowledge Construction

- Knowledge Construction is the process of building direct knowledge from indirect knowledge.

Definition (Indirect knowledge)

Let Ψ be a $KD45_n$ -logic formula and let ϕ be a first-order formula. We say that Ψ represents indirect knowledge of a peer p_i about ϕ (and we denote it with Ψ_i^ϕ) iff either:

- Ψ is on the form $\mathcal{K}_i \mathcal{K}_j \phi$ with $1 \leq j \leq |\mathcal{P}|$;
- Ψ is on the form $\Psi_1 \wedge \Psi_2$;
- Ψ is on the form $\Psi_1 \vee \Psi_2$;

where Ψ_1, Ψ_2 are such that $\Psi_{1_i}^\phi$ and $\Psi_{2_i}^\phi$;

- Construction assertions: a set of formulas of the kind

$$\Psi_i^\phi \rightarrow \mathcal{K}_i \phi$$

- Construction assertions allow to build direct knowledge using a variety of construction strategies

Knowledge Construction

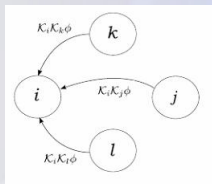
- Example: Knowledge Transfer Strategy

A simple Knowledge Construction assertion for each doxastic mapping assertion of the kind:

$$\mathcal{K}_i \mathcal{K}_j \phi \rightarrow \mathcal{K}_i \phi \quad (9)$$

- Example: Majority Strategy

The peer p_i builds its own knowledge of fact ϕ only if the majority of its neighbors directly knows ϕ



The following assertion models this strategy

$$((\mathcal{K}_i \mathcal{K}_j \phi \wedge \mathcal{K}_i \mathcal{K}_k \phi) \vee (\mathcal{K}_i \mathcal{K}_j \phi \wedge \mathcal{K}_i \mathcal{K}_l \phi) \vee (\mathcal{K}_i \mathcal{K}_k \phi \wedge \mathcal{K}_i \mathcal{K}_l \phi)) \rightarrow \mathcal{K}_i \phi \quad (10)$$

- There is not a general rational behavior that every peer is supposed to adopt: every peer can define its own knowledge construction policy
- Future work: framework extensions that allow peers to rank their acquaintances based on trust, or to use any other arbitrary knowledge construction and revision strategy

Conclusion

- P2P information integration relevance for semantic integration of distributed systems is crucial.
- Multi-modal logics are at the basis of decidable and tractable integration frameworks.
- Knowledge transfer unable to model arbitrary integration strategies, while Knowledge routing is not suitable for real information integration
- The doxastic approach
 - Overcomes limitations of current epistemic P2P multi-modal approaches
 - Allows many integration strategies